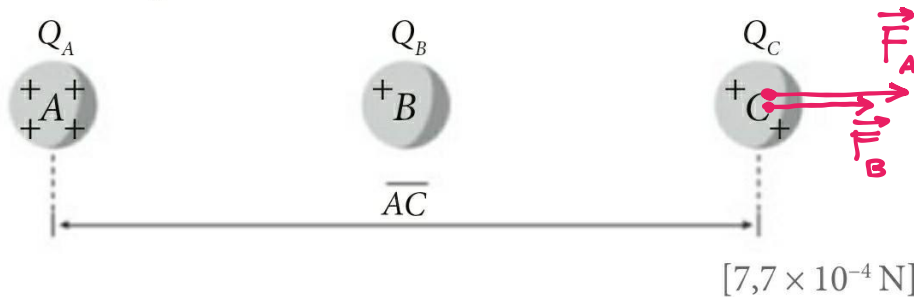


ORA PROVA TU Il segmento AC è lungo 24 cm e B è il suo punto medio. In A , B e C sono poste tre cariche puntiformi positive che valgono, rispettivamente, $Q_A = 73,5 \text{ nC}$, $Q_B = 18,1 \text{ nC}$ e $Q_C = 33,8 \text{ nC}$.

- Determina la forza elettrica totale che agisce sulla carica nel punto C .



$$\vec{F} = \vec{F}_A + \vec{F}_B$$

$$\overline{AC} = r \quad \overline{BC} = \frac{r}{2}$$

$$F = F_A + F_B = k_0 \frac{Q_A \cdot Q_C}{\overline{AC}^2} + k_0 \frac{Q_B \cdot Q_C}{\overline{BC}^2} =$$

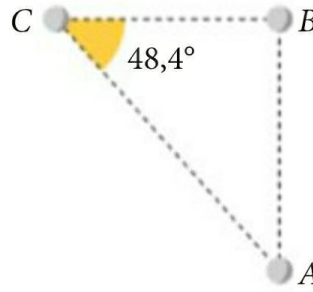
$$= k_0 \frac{Q_A \cdot Q_C}{r^2} + k_0 \frac{Q_B \cdot Q_C}{\frac{r^2}{4}} = \frac{k_0 \cdot Q_C}{r^2} (Q_A + 4Q_B) =$$

$$= \frac{\left(8,99 \times 10^9 \frac{\text{N} \cdot \text{m}^2}{\text{C}^2}\right) (33,8 \times 10^{-9} \text{ C})}{24^2 \times 10^{-4} \text{ m}^2} \left[(73,5 + 4 \cdot 18,1) \times 10^{-9} \text{ C} \right] =$$

$$= 76,96... \times 10^{-5} \text{ N} \simeq \boxed{7,7 \times 10^{-4} \text{ N}}$$

Tre cariche puntiformi $Q_A = 7,24 \text{ nC}$, $Q_B = 13,8 \text{ nC}$ e $Q_C = -9,68 \text{ nC}$ sono poste nei vertici di un triangolo ABC , rettangolo in B . Il cateto AB misura $12,5 \text{ cm}$ e l'angolo $B\hat{C}A$ misura $48,4^\circ$.

- ▶ Determina le componenti parallele ai due cateti delle forze esercitate da Q_A e da Q_B su Q_C .
- ▶ Determina il modulo della forza risultante che agisce su Q_C .
[$1,50 \times 10^{-5} \text{ N}$; $-1,69 \times 10^{-5} \text{ N}$; $1,14 \times 10^{-4} \text{ N}$]



$$\overline{AB} = \overline{AC} \cdot \sin 48,4^\circ$$

$$\Rightarrow \overline{AC} = \frac{\overline{AB}}{\sin 48,4^\circ}$$

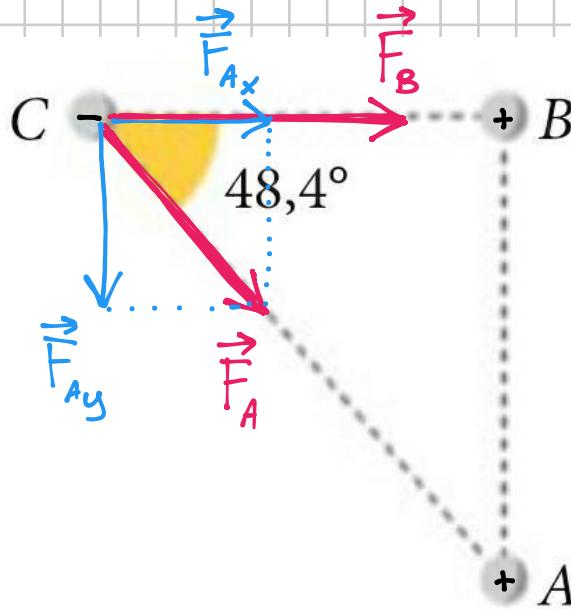
$$\vec{F}_B = (F_B, 0)$$

$$\vec{F}_A = (F_{Ax}, -F_{Ay})$$

$$F_{Ax} = F_A \cdot \cos 48,4^\circ$$

$$F_{Ay} = F_A \cdot \sin 48,4^\circ$$

$$F_A = k_0 \frac{|Q_A| \cdot |Q_C|}{\overline{AC}^2}$$



$$\overline{F}_{Ax} = k_0 \frac{|Q_A| |Q_C|}{\overline{AB}^2 (\sin 48,4^\circ)^2} \cdot \cos 48,4^\circ =$$

$$= (8,93 \times 10^9) \frac{7,24 \times 9,68 \times 10^{-18}}{(12,5)^2 \times 10^{-4}} \cdot \sin^2 48,4^\circ \cdot \cos 48,4^\circ \text{ N} =$$

$$= 1,4970 \dots \times 10^{-5} \text{ N} \approx 1,50 \times 10^{-5} \text{ N}$$

$$\vec{F}_{Ay} = k_0 \frac{|Q_A||Q_C|}{\overline{AB}^2} \cdot \sin 48,4^\circ =$$

$$= (8,99 \times 10^9) \frac{7,24 \times 9,68 \times 10^{-18}}{(12,5)^2 \times 10^{-4}} \cdot \sin^3 48,4^\circ \text{ N} =$$

$$= 1,68619... \times 10^{-5} \text{ N} \approx 1,69 \times 10^{-5} \text{ N}$$

$$\vec{F}_A = (1,50 \times 10^{-5} \text{ N}, -1,69 \times 10^{-5} \text{ N})$$

$$F_B = k_0 \frac{|Q_B||Q_C|}{\overline{CB}^2} = k_0 \frac{|Q_B||Q_C|}{\overline{AB}^2} \cdot \left(\frac{\sin 48,4^\circ}{\cos 48,4^\circ} \right)^2 =$$

$$\overline{CB} = \overline{AC} \cdot \cos 48,4^\circ =$$

$$= \frac{\overline{AB}}{\sin 48,4^\circ} \cdot \cos 48,4^\circ$$

$$= 8,99 \times 10^9 \frac{(13,8)(9,68) \times 10^{-18}}{(12,5)^2 \times 10^{-4}} \left(\frac{\sin 48,4^\circ}{\cos 48,4^\circ} \right)^2 \text{ N} =$$

$$= 9,7504... \times 10^{-5} \text{ N} \approx 9,75 \times 10^{-5} \text{ N}$$

$$\vec{F}_B = (9,75 \times 10^{-5} \text{ N}, 0)$$

$$\vec{F}_{\text{TOT}} = \vec{F}_A + \vec{F}_B = (11,247... \times 10^{-5} \text{ N}, -1,6861... \times 10^{-5} \text{ N}) =$$

$$= (11,247, -1,6861) \times 10^{-5} \text{ N}$$

$$F_{TOT} = \sqrt{(11,247)^2 + (-1,6861)^2} \times 10^{-5} \text{ N} =$$

$$= 11,372... \times 10^{-5} \text{ N} \simeq \boxed{1,14 \times 10^{-4} \text{ N}}$$