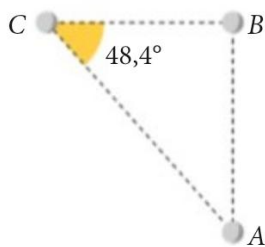


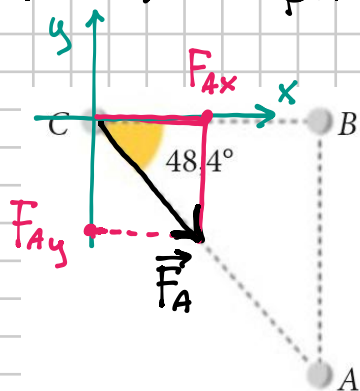
Tre cariche puntiformi $Q_A = 7,24 \text{ nC}$, $Q_B = 13,8 \text{ nC}$ e $Q_C = -9,68 \text{ nC}$ sono poste nei vertici di un triangolo ABC , rettangolo in B . Il cateto AB misura $12,5 \text{ cm}$ e l'angolo \widehat{BCA} misura $48,4^\circ$.

- Determina le componenti parallele ai due cateti delle forze esercitate da Q_A e da Q_B su Q_C .
- Determina il modulo della forza risultante che agisce su Q_C .

[$1,50 \times 10^{-5} \text{ N}$; $-1,69 \times 10^{-5} \text{ N}$; $1,14 \times 10^{-4} \text{ N}$]



Considero le forze \vec{F}_A (attrattiva)



a) Trovo F_A con la legge di Coulomb

$$b) F_{Ax} = F_A \cdot \cos(48,4^\circ)$$

$$c) F_{Ay} = -F_A \cdot \sin(48,4^\circ)$$

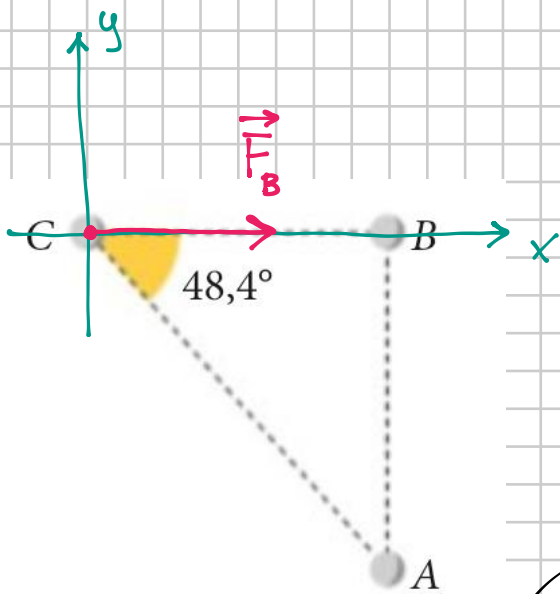
$$\overline{CA} = \frac{\overline{AB}}{\sin(48,4^\circ)}$$

$$F_{Ax} = k_0 \frac{|Q_A| |Q_C|}{\overline{CA}^2} \cdot \cos(48,4^\circ) =$$

$$= \left(8,99 \times 10^9 \frac{\text{N} \cdot \text{m}^2}{\text{C}^2} \right) (7,24 \times 10^{-9} \text{ C}) (9,68 \times 10^{-9} \text{ C}) \cdot \frac{\cos(48,4^\circ) \cdot \sin^2(48,4^\circ)}{(12,5 \times 10^{-2} \text{ m})^2}$$

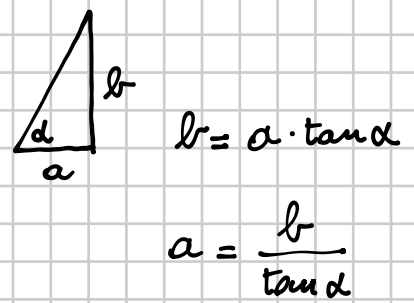
$$= 1,49707... \times 10^{-5} \text{ N} \approx \boxed{1,50 \times 10^{-5} \text{ N}}$$

$$F_{Ay} = -k_0 \frac{|Q_A| |Q_C|}{\overline{CA}^2} \cdot \sin(48,4^\circ) = -1,686... \times 10^{-5} \text{ N} \approx \boxed{-1,69 \times 10^{-5} \text{ N}}$$



$$\vec{F}_B = (F_B, 0)$$

$$F_B = k_0 \frac{|Q_C| |Q_B|}{\overline{CB}^2}$$



$$b = a \cdot \tan \alpha$$

$$a = \frac{b}{\tan \alpha}$$

$$\overline{CB} = \frac{\overline{AB}}{\tan 48,4^\circ}$$

$$\rightarrow = \left(8,99 \times 10^9 \frac{\text{N} \cdot \text{m}^2}{\text{C}^2} \right) \frac{(9,68 \times 10^{-9} \text{C})(13,8 \times 10^{-9} \text{C})}{\frac{(12,5 \times 10^{-2} \text{m})^2}{(\tan 48,4^\circ)^2}} =$$

$$= 9,75041... \times 10^{-5} \text{N} \approx \boxed{9,75 \times 10^{-5} \text{N}}$$

$$\vec{F}_A = (1,50 \times 10^{-5} \text{N}, -1,69 \times 10^{-5} \text{N}) \quad \vec{F}_B = (9,75 \times 10^{-5} \text{N}, 0 \text{N})$$

$$\vec{F}_{\text{TOTC}} = \vec{F}_A + \vec{F}_B = \left((1,497 + 9,750) \times 10^{-5} \text{N}, -1,686 \times 10^{-5} \text{N} \right) =$$

$$= (11,247 \times 10^{-5} \text{N}, -1,686 \times 10^{-5} \text{N})$$

$$F_{\text{TOTC}} = \sqrt{(11,247)^2 + (-1,686)^2} \times 10^{-5} \text{N} = 11,372... \times 10^{-5} \text{N}$$

$$\approx \boxed{1,14 \times 10^{-4} \text{N}}$$